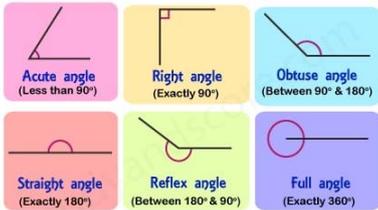


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Year 8 Geometry and measures 1

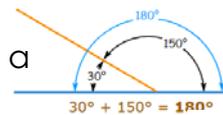


Types of angles



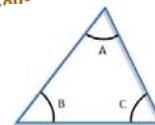
Angles on a straight line

Angles adjacent to each other on a straight line add up to 180°



Angles in a triangle

Angles in a triangle add up to 180°



$$A + B + C = 180^\circ$$

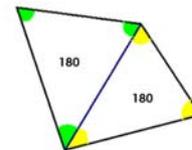
Angle in parallel lines

Two lines which will never meet are parallel. They are identified by the small arrows.

A transversal is a line that crosses parallel lines, and creates special relationships between angles.

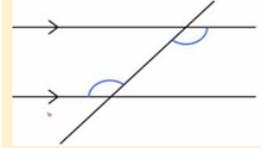
Angles in a quadrilateral (4 sides)

Angles in a quadrilateral add up to 360° . This is because it is made up of 2 triangles



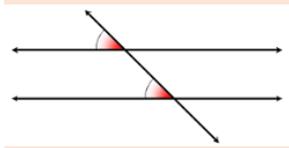
Alternate angles are 2 angles that are either side of the transversal.

Alternate angles are equal



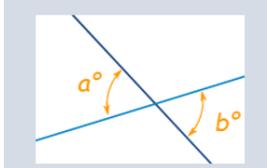
Corresponding angles are 2 angles that are on the same side of the transversal.

Corresponding angles are equal



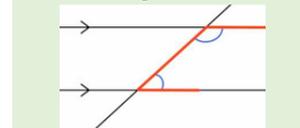
Opposite angles are created by 2 straight lines crossing.

Opposite angles are equal



Co-interior angles are made up by 2 angles the same side of the transversal but both inside the parallel lines.

Co-interior angles add to 180°



Interior angles of a polygon

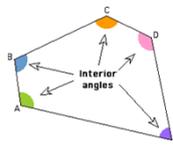
Polygon – A plane shape (two-dimensional) with straight sides.

A regular polygon is a polygon with equal sides and angles

n is the number of sides

To work out the **total angles** in a regular polygon: $(n - 2) \times 180$

To work out the size of **one angle** in a regular polygon: $total\ angles \div n$

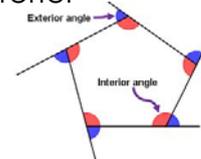


Exterior angles in a polygon

An exterior angle is $180 - \text{interior angles}$: $Int + Ext = 180$

To work out an **exterior angle**: $\frac{360}{n}$

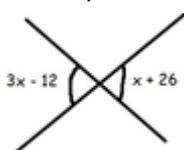
To work out **number of sides**: $\frac{360}{\text{exterior angle}}$



Angles and algebra

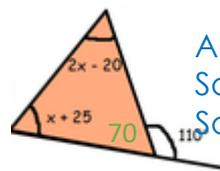
We can apply our angle understanding and algebra understanding.

Example for angles and algebra



Opposite angles are equal
So $3x - 12 = x + 26$

$$\begin{array}{r} 3x - 12 = x + 26 \\ -x \quad \quad \quad -x \\ \hline 2x - 12 = 26 \\ +12 \quad \quad \quad +12 \\ \hline 2x = 38 \\ \div 2 \quad \quad \quad \div 2 \\ \hline x = 19 \end{array}$$



Angles in a triangle add to 180°
So $x + 25 + 2x - 20 + 80 = 180$
So $3x + 85 = 180$

$$\begin{array}{r} 3x + 85 = 180 \\ -85 \quad \quad \quad -85 \\ \hline 3x = 95 \\ \div 3 \quad \quad \quad \div 3 \\ \hline x = \frac{95}{3} \end{array}$$

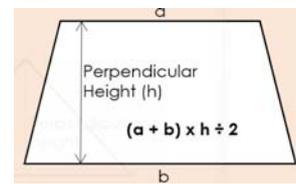
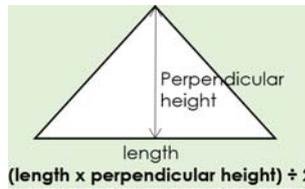
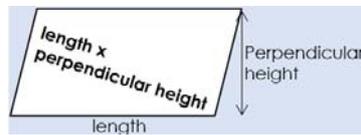
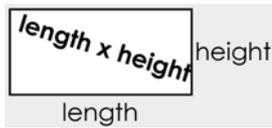
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Year 8 Geometry and measures 2



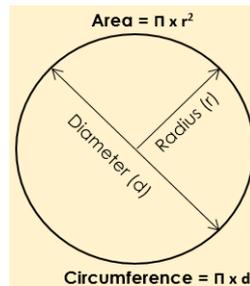
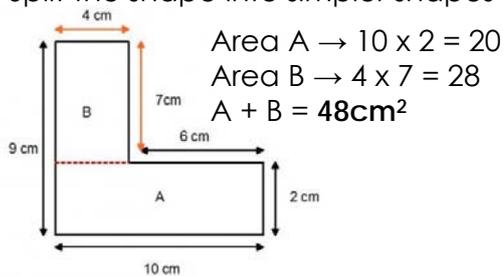
Area

Area is the space inside a 2D shape



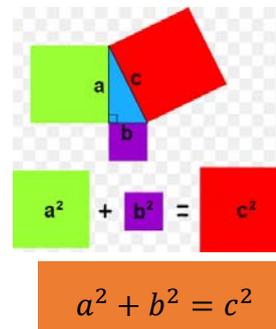
Compound Area

Split the shape into simpler shapes



Pythagoras

Used only in right angled triangle to find missing lengths using other lengths

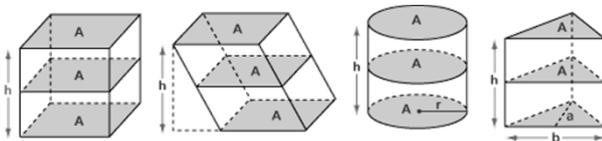


- Longest side
- 1) Square
 - 2) Add
 - 3) Square root
- Shortest side
- 1) Square
 - 2) Subtract
 - 3) Square root

Volume - prisms

Is the space inside a 3D shape

A prism has a constant cross section, work out its area and multiply by length

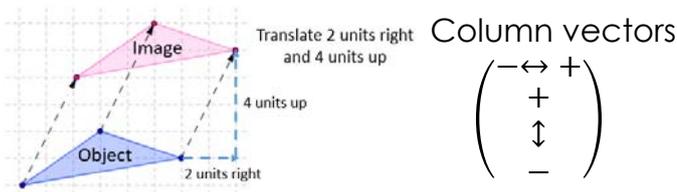


Transformations

In geometry, transformation refers to the movement of objects in the coordinate plane. The four types are: translation, reflection, rotation and enlargement.

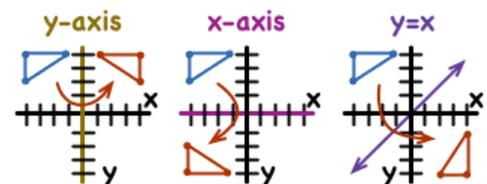
Translation

"Translation" simply means moving without rotating, resizing or anything else,



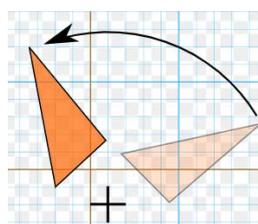
Reflection

"Reflection" is where a shape is flipped over a reflection line to produce an image



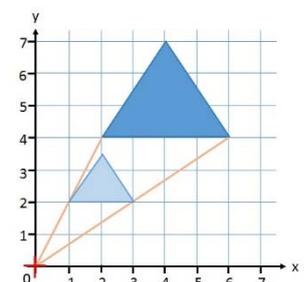
Rotation

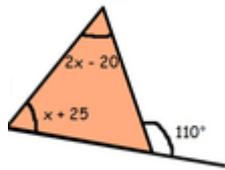
"Rotation" is a circular movement. It has a central point that stays fixed and everything else moves around that point in a circle



Enlargement

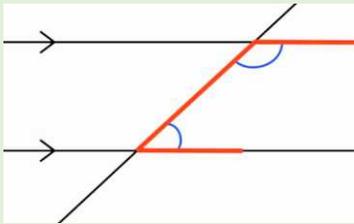
"Enlargement" sometimes called scaling or dilation, is a kind of transformation that changes the size of an object





Co-interior angles are made up by 2 angles the same side of the transversal but both inside the parallel lines.

Co-interior angles add to 180°



$$\begin{array}{r}
 3x + 85 = 180 \\
 -85 \quad \left. \begin{array}{l} \curvearrowright \\ \curvearrowright \end{array} \right\} \\
 \hline
 3x = 95 \\
 \div 3 \quad \left. \begin{array}{l} \curvearrowright \\ \curvearrowright \end{array} \right\} \\
 \hline
 x = \frac{95}{3}
 \end{array}$$

$$\div 2 \quad \left. \begin{array}{l} \curvearrowright \\ \curvearrowright \end{array} \right\}$$

$$\left. \begin{array}{l} \curvearrowright \\ \curvearrowright \end{array} \right\} \div 2$$